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Abstract

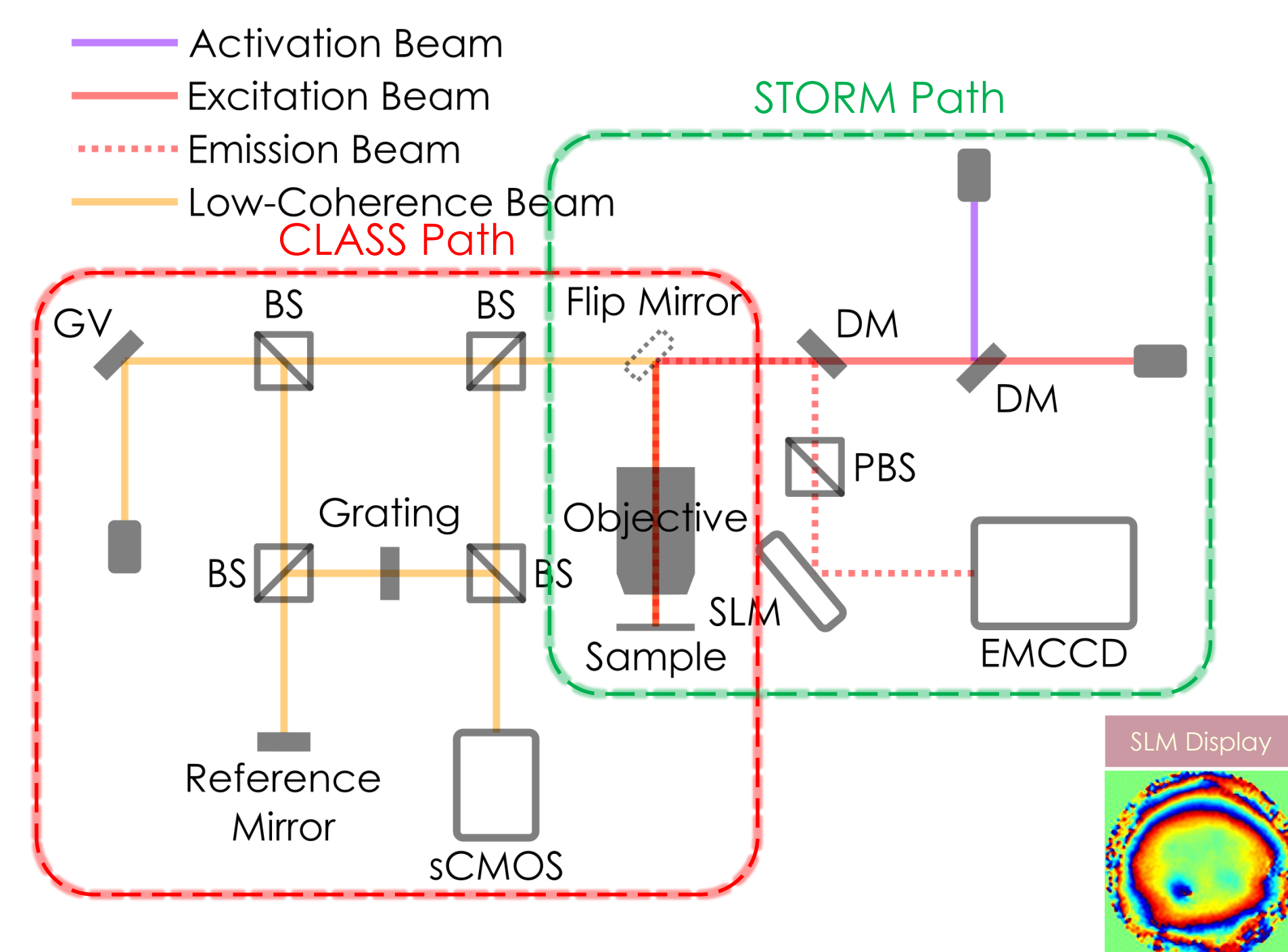
Single-molecule localization microscopy has enabled the resolving of biomolecules well beyond the diffraction-limited spatial resolution. However, its imaging depth has been too shallow to investigate thick biological tissues. A sample-induced aberration is one of the major reasons for this limitation. It gives rise to the blur and distortion of single-molecule emission images, impairing the extremely sensitive single-molecule localization process. To resolve this issue, we combined the closed-loop accumulation of single scattering (CLASS) microscopy with stochastic optical reconstruction microscopy (STORM). CLASS microscopy identifies the sample-induced aberration based on elastic backscattering, which is then applied to a spatial light modulator in the excitation beam path of STORM for aberration correction. We demonstrated super-resolution imaging of cell microtubules under artificially generated severe aberration consisting of Zernike modes higher than mode 20 and the STORM imaging of neurons in 100 μ m-thick mouse brain tissue at the depth of \sim 70 μ m.

Concept

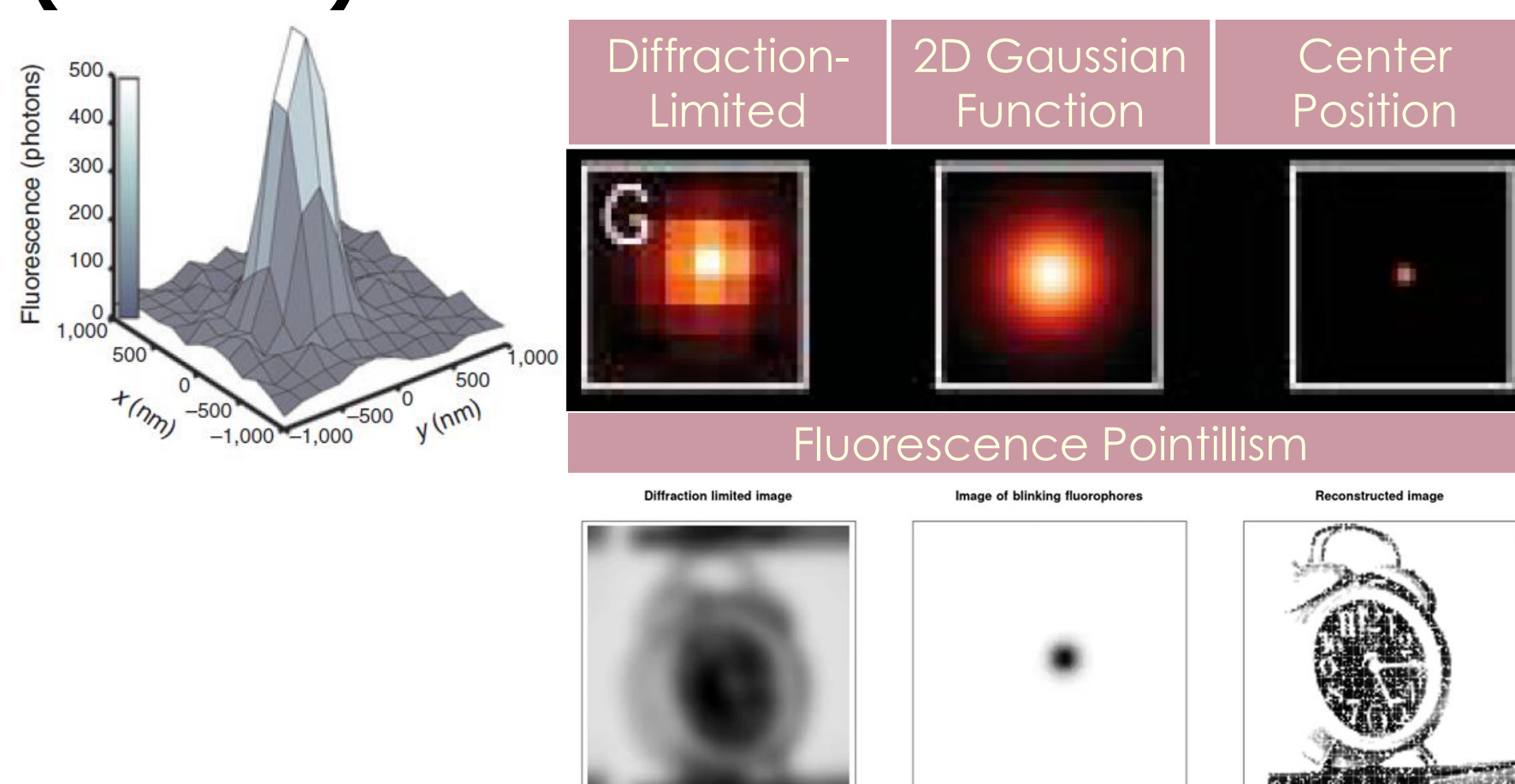
Adaptive optics-assisted super-resolution microscopy

- CLASS (closed-loop accumulation of single scattering) + STORM (stochastic optical reconstruction microscopy)
- Correcting CLASS-calculated sample-induced aberration ► obtaining deep-tissue STORM images
- The goal is to obtain STORM images of neurons in a mouse brain or an intact animal (e.g., zebrafish) at the depth of \sim 100 μ m

Principle

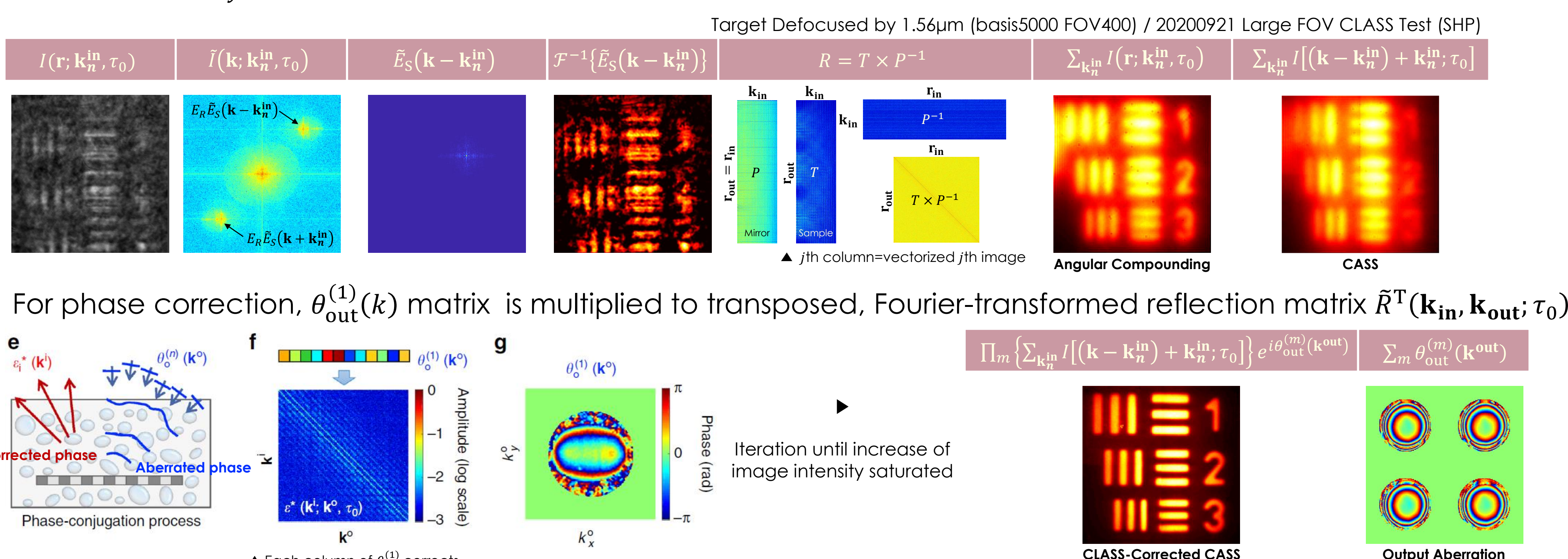


Stochastic optical reconstruction microscopy (STORM)^{1,2}

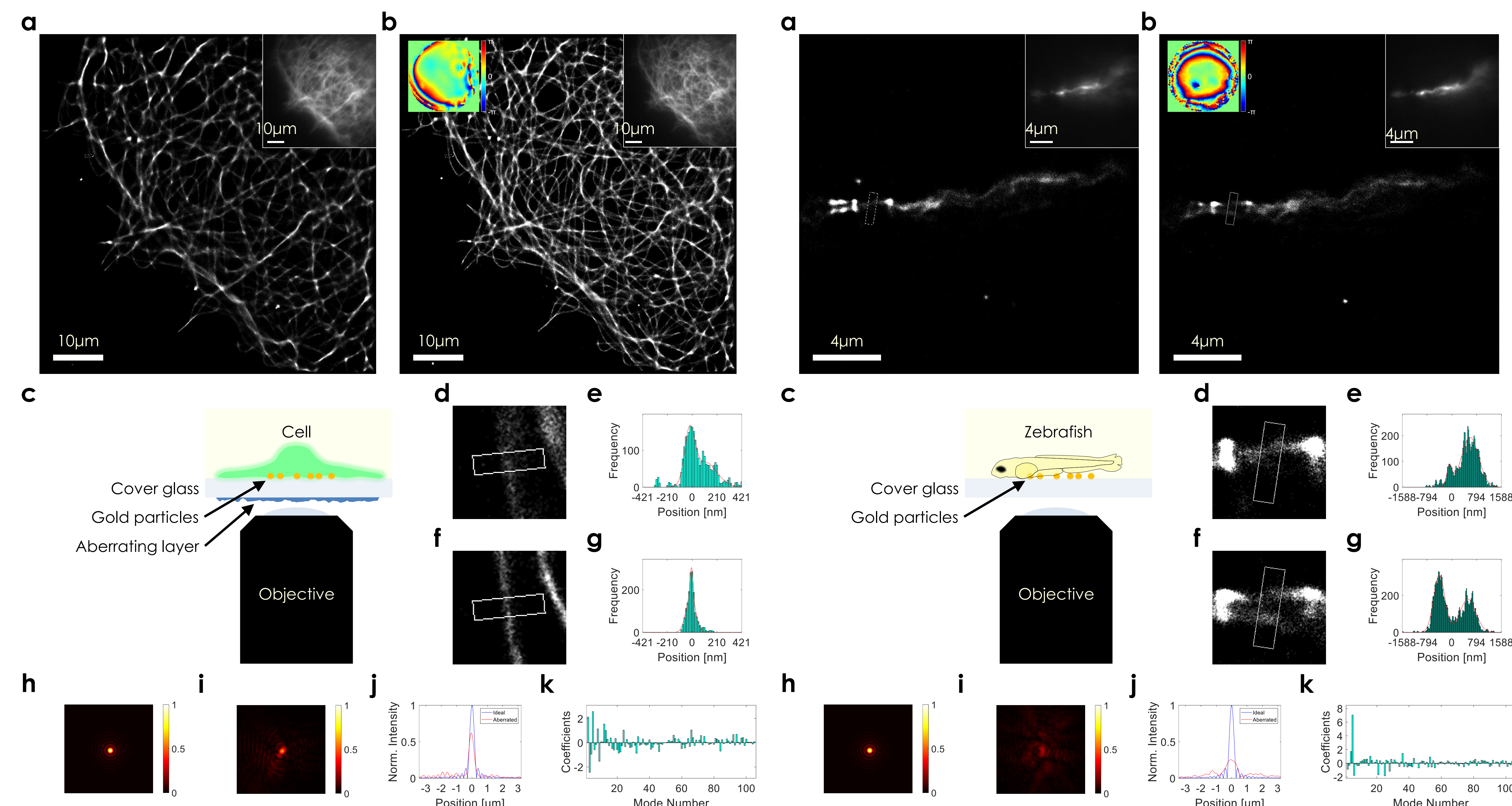


Collective accumulation of single-scattered waves (CASS) & Closed-loop accumulation of single scattering (CLASS)^{3,4}

$E(\mathbf{r}; \mathbf{k}_n^{\text{in}}, \tau_0) = E_S(\mathbf{r}) + E_R(\mathbf{r})e^{-i\mathbf{k}_n^{\text{in}} \cdot \mathbf{r}}$ [interference of two beams (E-field)]
where $\mathbf{r} = (x, y)$ (coordinates in camera-detected image) and \mathbf{k}_n^{in} representing nth scan angle
 $I(\mathbf{r}; \mathbf{k}_n^{\text{in}}, \tau_0) = |E(\mathbf{r}; \mathbf{k}_n^{\text{in}}, \tau_0)|^2 = |E_S(\mathbf{r})|^2 + |E_R(\mathbf{r})|^2 + E_S(\mathbf{r})E_R(\mathbf{r}) \left(e^{i\mathbf{k}_n^{\text{in}} \cdot \mathbf{r}} + e^{-i\mathbf{k}_n^{\text{in}} \cdot \mathbf{r}} \right)$ [camera-detected image (intensity)]
Taking Fourier transform and using the convolution theorem,
 $\mathcal{F}\{|E_S(\mathbf{r})|^2 + |E_R(\mathbf{r})|^2\} = [|E_S(\mathbf{r})|^2 + |E_R(\mathbf{r})|^2]\mathcal{F}\{1\} = [|E_S(\mathbf{r})|^2 + |E_R(\mathbf{r})|^2]\delta(\mathbf{k})$
 $\mathcal{F}\{E_S(\mathbf{r})[E_R(\mathbf{r})e^{\pm i\mathbf{k}_n^{\text{in}} \cdot \mathbf{r}}]\} = \tilde{E}_R(\mathbf{k}) \iint d^2\mathbf{r} [E_S(\mathbf{r})e^{\pm i\mathbf{k}_n^{\text{in}} \cdot \mathbf{r}}] e^{-i\mathbf{k} \cdot \mathbf{r}} = \tilde{E}_R(\mathbf{k}) \iint d^2\mathbf{r} [E_S(\mathbf{r})e^{-i(\mathbf{k} \mp \mathbf{k}_n^{\text{in}}) \cdot \mathbf{r}}] = \tilde{E}_R(\mathbf{k})\tilde{E}_S(\mathbf{k} \mp \mathbf{k}_n^{\text{in}})$
Then,
 $\mathcal{F}\{I(\mathbf{r}; \mathbf{k}_n^{\text{in}}, \tau_0)\} \equiv \tilde{I}(\mathbf{k}; \mathbf{k}_n^{\text{in}}, \tau_0) = [|E_S(\mathbf{r})|^2 + |E_R(\mathbf{r})|^2]\delta(\mathbf{k}) + \tilde{E}_R(\mathbf{k})[\tilde{E}_S(\mathbf{k} - \mathbf{k}_n^{\text{in}}) + \tilde{E}_S(\mathbf{k} + \mathbf{k}_n^{\text{in}})]$ (Fourier-transformed image)
where $\mathbf{k} = (k_x, k_y)$



Results



References

1. X. Zhuang et al., Nature Methods 3, 10 (2006)
2. E. Betzig et al., Science 313, 5793 (2006)
3. Q-H. Park and W. Choi et al., Nature Photonics 9, 4 (2015)
4. K. H. Kim & W. Choi et al., Nature Communications 8, 2157 (2017)